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A COMPUTER SOLUTION TO THE
DAILY FLIGHT SCHEDULE PROBLEM

Craig Gibson Honour

NAVAL POSTGRADUATE SCHOOL

Monterey, California



THESIS

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by

Craig Gibson Honour

June 1975

Thesis Advisor:

U. R. Kodres

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A COMPUTER SOLUTION TO THE DAILY FLIGHT SCHEDULE PROBLEM

by

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ABSTRACT

A computer procedure to solve interactively the daily flight scheduling problem for training squadrons is proposed. The scheduling problem for a prototype squadron, Fighter Squadron One Hundred Twenty-one, is mathematically analyzed using graph coloring techniques. A procedure similar to published class scheduling solutions which uses an assignment algorithm is formulated. A computer program is then developed to demonstrate the procedure.

TABLE OF CONTENTS

I.	INTRODUCTION.....	8
II.	THE SCHEDULING PROBLEM.....	10
	A. GENERAL BACKGROUND.....	10
	B. PROBLEM VARIABLES.....	11
	1. Instructors.....	11
	2. Students.....	11
	3. Events.....	12
	4. Assets.....	14
	5. Carrier Qualification.....	15
	6. Personnel Nonavailability.....	15
	C. CURRENT SCHEDULING METHOD.....	16
	D. DESIRED SOLUTION PARAMETERS.....	18
III.	THE MATHEMATICAL ANALYSIS.....	20
	A. PREVIEW.....	20
	B. COMPARISON TO SCHOOL TIMETABLING PROBLEMS.....	21
	C. GRAPH COLORING APPROACH.....	21
	D. FIXED SCHEDULE METHOD.....	27
	E. ANALYTICAL SOLUTION.....	28
IV.	DESCRIPTION OF THE COMPUTER PROGRAM.....	32
	A. GENERAL.....	32
	B. FILES.....	33
	C. INPUT AND INITIALIZATION.....	34
	D. LIST NEXT EVENTS.....	35
	E. SCHEDULING PROBLEM.....	37
	F. PRODUCTION RUN.....	42
V.	PROPOSED EXTENTION TO AN INTERACTIVE SYSTEM.....	44
	A. CURRENT STATE.....	44
	B. HARDWARE ASSETS REQUIRED.....	44
	C. SOFTWARE REQUIRED.....	45

VI.	SUMMARY.....	47
A.	LIMITATIONS.....	47
B.	SYSTEM ULILITY.....	47
C.	CONCLUSIONS.....	48
APPENDIX: COMPUTER PROGRAM LISTING.....		49
LIST OF REFERENCES.....		72
INITIAL DISTRIBUTION LIST.....		74

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The algorithm discussed in this thesis [Reference 8] is republished after translation from ALGOL to COBOL. General permission to republish, but not for profit, has been granted by the Association for Computing Machinery.

I. INTRODUCTION

Rising personnel costs and declining computer costs indicate that a reassessment of many job functions now performed manually within the Navy is necessary. One such task, the daily flight schedule problem, which is essential to efficient squadron operation is still performed entirely by hand. Many commands recognize the demanding nature of this task and, in many instances, smooth operation of the scheduling task requires the talents of more than one officer.

It is the contention of this thesis that the student and instructor flight schedule produced by training squadrons can be obtained efficiently by one officer with the aid of a computer; this can result in significant personnel savings. A prototype squadron, Fighter Squadron One Hundred Twenty-one, was selected for which to develop a preliminary computer program in order to verify that the computer procedures result in acceptable solutions.

The first section of this paper describes the prototype problem. Included are discussions of the variables, current scheduling techniques and desired solution parameters. The next section describes the mathematical analysis used to arrive at a solution technique. Two techniques for solving class scheduling problems are presented with the aid of an example. The next section contains a description of the computer program designed to implement the solution. The computer program is listed in the appendix. Results in the form of actual printout from a sample run, using data

collected from flight schedules, are also presented. The last section is the proposal for an extension to an interactive system which presents hardware requirements and software modifications.

II. THE SCHEDULING PROBLEM

A. GENERAL BACKGROUND

Fighter Squadron One Hundred Twenty-one (VF-121) is tasked to provide combat ready fleet replacement pilots and radar intercept officers (PIO's) to fly the supersonic F4J Phantom II aircraft. Located at NAS Miramar, California, it has assigned a semi-permanent staff of fleet experienced pilots and RIO's who instruct student pilots and RIO's in the fundamentals of the F4J operation.

Long range training goal decisions based on asset availabilities, progress, anticipated delays and fleet requirements are reflected through command directives to the scheduling office. The scheduling staff analyzes the variables and produces a daily flight schedule to fulfill the training goals. An optimum flight schedule is critical for efficient squadron operation. The working hours of maintenance personnel are adjusted daily to meet anticipated needs. Outside agencies such as the Federal Aviation Agency are alerted by the schedule to provide military and civilian aircraft separation. Weapons ranges use the schedule for manning requirements. Support agencies operating cockpit trainers and related facilities are alerted for scheduled usage. Consequently, the daily flight schedule not only regiments squadron personnel but also provides valuable information to a variety of agencies.

B. PROBLEM VARIABLES

1. Instructors

Both pilots and radar intercept officers are assigned as instructors for a three year tour. They progress through a formal qualification syllabus named the Instructor Under Training (IUT) syllabus. As an instructor completes a phase he becomes qualified to teach that phase. Therefore, at any given time, instructors will be only qualified for certain events. The maximum number of instructor pilots or RIO's is fifty each. They are divided into six wings for rotation purposes. A particular wing will have night duty for a week and rotate to day flying for the next three weeks. The last two wings consist of special category instructors such as those qualified but not assigned to the squadron and the Landing Signal Officer (LSO) wing whose additional night duties merit special attention.

Command regulations limit instructors to a ten hour working day to preclude excessive fatigue, although some instructors are further limited to one event per day for other reasons. Instructor scheduling should distribute flight time evenly, including night and weekend flying, and insure that all minimum flight time requirements are satisfied.

2. Students

Student pilots and RIO's are categorized by previous experience and anticipated needs of the Navy with one basic

syllabus serving all categories. However, deletion of nonessential events for the more experienced categories is a standard procedure. Students range from Ensigns, who have just completed flight training, to senior Commanders, who have been selected as Carrier Air Group Commanders. Students are divided into classes with a maximum of thirty pilots or thirty RIO's for event scheduling at any one time. Each class passes through a Prior To Flight phase (PTF) which is scheduled through a different office. PTF training is received as a block and is annotated on the back of the flight schedule. It causes no conflicts since a student is not released from PTF until its completion.

Students are limited to an eight hour working day. Classes should progress through the syllabus evenly to provide maximum lecture opportunities and effective aircraft utilization for joint missions. Some students or even entire classes may receive priority. Generally, different classes will be in different phases signifying various stages of syllabus completion. A student pilot will normally require the services of an instructor RIO for a sortie and a student RIO will normally be paired with an instructor pilot. Other combinations are occasionally scheduled except two RIO's can never fly together.

3. Events

Scheduled events may be divided into four groups: sorties, lectures, trainers and special events. The first, student training sorties, are listed in the syllabus and are scheduled essentially consecutively. A student will progress through the four major phases of familiarization, radar training, conventional weapons delivery and tactics so that successful completion of the current flight is a prerequisite to the next flight. An incomplete or failing

grade will normally result in at least one re-fly of the same sortie. A student may begin the next phase when only a few sorties remain in the current phase and thus be eligible for two different types of sorties at the same time.

The maximum number of flights for either a student pilot or RIO is fifty. Asset complexity ranges from one aircraft with no special configuration for a basic familiarization flight to a specially configured section (two aircraft) with an adversary section (dissimilar aircraft), a special Air Combat Maneuvering Range (ACMR), separate frequencies and appropriate weather minimums. Some flights require successful completion of another sortie the same day or within one day. Others, such as Field Carrier Landing Practice, may require a separate instructor sortie earlier in the day to transport the LSO to a remote location so that he will be prepared to function as an LSO. Many flights are restricted to daytime hours while others are strictly night flights. Some may be flown either time. Most requirements for an individual flight are described in the VF-121 syllabus course description but current scheduling practices and techniques are not completely delineated on paper.

The second major group of events is the student lecture syllabus. There is a maximum of sixty lectures which are the same for student pilots, RIO's and IUT's. Lectures are prerequisites for certain flights or phases and are scheduled to be completed no earlier than two weeks prior to that flight. Several classrooms are available, but only certain instructors may give each lecture. Lectures are not scheduled for individuals but for entire classes including IUT's. Normally, one student being unavailable will preclude assignment of a lecture for that time.

Ground based training aids are the third major group

of scheduled events. There are three types of F4 trainers which are shared by all the F4 squadrons at Miramar. The emergency procedures trainer requires only one student. The cockpit mockup trainer requires a pilot, RIO and an instructor. The radar systems trainer requires one student and an instructor. All trainers are scheduled for hourly periods with the VF-121 scheduling staff coordinating all squadron times. Training periods may result in incomplete training which necessitates rescheduling. The trainer syllabus is designed to give practical experience to classroom techniques.

The last major group consists of special events which must be scheduled. These may consist of a test flight requiring a test qualified instructor pilot and RIO or a cross country ferry flight. Ground events such as All Officer Meetings directed by higher authority could also be included in this category. Any event not in the syllabus but which must be indicated on the daily flight schedule is a special event. Usually required crews or personnel are already determined but sometimes the scheduling staff must provide the appropriately qualified personnel.

4. Assets

The scheduling staff receives from the maintenance department an estimate of the number of available aircraft for the next day. An attempt is made to fully utilize assets but not to overschedule. Aircraft assignments are made by the maintenance department approximately two hours before scheduled launch time to insure that the correct configuration is available.

Range availability is requested and received monthly along with various frequency assignments. Military

intercept controllers are available daily and are assigned to coincide with the published flight schedule. Weather forecasts are available from the station weather facility. Marginal forecasts often require contingency scheduling since weather minimums vary for different flights.

5. Carrier Qualification

A major uncontrolled variable in scheduling parameters is aircraft carrier qualification, which is normally the culmination of a student's training. Since the asset demands are so severe, all assets are programmed to insure maximum utilization of the infrequently assigned aircraft carrier deck space. Classes are slowed or expedited to be ready for certain carrier assignments. During carrier qualifications, most available aircraft are used for qualification with some spares held in reserve. Any aircraft remaining may be utilized for normal syllabus training. For several weeks preceding qualifications a maximum number of aircraft are used for night carrier field landing practice, often during early morning hours or on weekends. The scheduling staff receives crew assignments from the LSO for these night flights and must adjust the day schedule accordingly. The result is usually a shortage of qualified instructor RIO's and difficult scheduling conflicts.

6. Personnel Nonavailability

The last major variable is aircrew nonavailability. Many causes for nonavailability exist but all present the same problem. Personnel nonavailability may range from a fifteen minute dental check-up to a medical "down" for a broken leg. The scheduling staff receives all programmed

nonavailability, such as watch bills and schools, and maintains a "snivel" log up to a week in advance for individual anticipated absences. Prior to scheduling, the staff must insure aircREW availability.

C. CURRENT SCHEDULING METHOD

Three officers and an enlisted typist are assigned to the staff. The two senior officers rotate the scheduling duties to enable one of them to be available for flying duties. The third officer acts in an information gathering role and the typist types and reproduces the schedule. The next days schedule is prepared during the previous day and is usually completed by 1800 hours. Actual launch times are staggered to accomodate limited launch assets. The first three cycles are day launches and the last is a night launch.

Normally, the duty scheduler reports to work early and evaluates the information found on the Squadron Duty Officer's smooth schedule giving completed sorties and flight times. This information is transcribed to a set of "grease boards" which gives current status of all students and instructors. The next step is to line out all nonavailable personnel on the grease board schedule and enter basic information such as duty officers, date, sunrise and sunset times. This entire process consumes about two hours.

The next process varies with the individual in charge but is usually the scheduling of high priority events such as: sorties to use fixed range times or special events. Included here are lectures or trainers which, if not scheduled, will create student nonavailability within two

days. Liason with holders of external assets (such as dissimilar aircraft) is established to find mutually agreeable sortie times for the tactics phase flights. Other missions including IUT sorties are then scheduled to utilize the rest of available aircraft for each cycle. Sorties are only scheduled by mission and student. The scheduler anticipates opportunities for scheduling entire classes for low priority lectures, possible exhaustion of qualified instructors and poor weather conditions. Often some classes will be given priority to enable sooner completion dates. This entire time consuming process usually requires about four hours to complete.

The next major step is to assign qualified instructors to all necessary flights, lectures and trainers. In addition to avoiding conflicts, care must be exercised to evenly distribute monthly flight time, maintain appropriate minimums and rotate undesirable flights. Depending on schedule construction to this point, there may or may not be a solution. No solution will necessitate a chain of modifications throughout the schedule, replacing missions, students and instructors. In its worst form the whole schedule may be scrapped and started over. Successful completion of this stage can usually be accomplished in two hours.

At this point the schedule is meticulously checked for unresolved conflicts. Any remaining unscheduled assets, such as trainers or classrooms, are attempted to be utilized. All additional information (such as notes and positive control routes and numbers) are filled in and the typist transcribes the grease board schedule onto a duplicating mat. The scheduler rechecks for errors and submits the mat for the Operations Officers signature. The daily flight schedule is then reproduced and distributed.

D. DESIRED SOLUTION PARAMETERS

User oriented discussions identified seven major areas of concern for any computer solution which must have a reasonable assurance of satisfaction before such a procedure would be used in practice.

1. RESPONSIVENESS TO THE OPERATOR - The system must provide the operator sufficient decision control including a full manual input system to enable the operator to exert positive control over the solution.
2. BACKUP TRACE - The system must periodically dump files on paper to provide a backup manual method in the event of a massive system failure.
3. LOW MAINTENANCE REQUIREMENT - Both hardware and software maintenance requirements should be minimal since no trained personnel are available within the command.
4. OPTIMUM - The solution should produce an optimum daily schedule but be responsive to long range requirements.
5. EASY OPERATION - Since operators have no computer experience, the system should be easy to operate including file updating procedures. An operators handbook should be provided.
6. EXPANSION - The system should be capable of moderate expansion to provide improved management information, such as status charts or student flight time.

7. COBOL - The software must conform to NAVY ANSI standard COBOL to enable easy hardware procurement and software versatility.

Implementation would be gradual in that the user would have the opportunity to make reasonable changes and view test solutions prior to acceptance. The system should operate experimentally in conjunction with present methods for at least a month to determine operating restrictions, insure positive debugging and assess long range scheduling ramifications.

III. THE MATHEMATICAL ANALYSIS

A. PREVIEW

The key ingredient to a successful mathematical analysis of any problem is to extract the essential information and relate it to known concepts. The flight scheduling problem lends itself well to this type of approach. The basic variables are in many respects similar to school class scheduling problems which were the subject of much attention during the sixties. School administrators used two different approaches for a solution. The first approach, which makes use of graph coloring techniques, produces a schedule so that the student's wishes and requirements are satisfied. The other major method, the fixed schedule method, centers priority on the university requirements. A course offering is designed so that classrooms and professors are not in conflict. The students register for the courses which are offered at the indicated times. The students may not be able to take all the courses they desire.

The flight scheduling problem has features which are identical to the school scheduling problem. The procedure this paper develops to solve the problem is similar to the fixed schedule method which uses priorities. The students who cannot take the courses because of conflicts are given a higher priority for the next day's schedule.

B. COMPARISON TO SCHOOL TIMETABLE PROBLEMS

School timetables are constructed based on the following concepts. A set of professors (P) exist who are qualified to teach certain classes. Usually, a list is submitted to the registrar giving instructor names and the sections they will teach. A list of students (S), each of whom has indicated his desired courses (C), also exists. Often there are many other restrictions to complicate the basic idea. Courses are limited in size and may require either specific classrooms or excessive time slices such as laboratories. Classroom facilities may be limited. Instructor or student schedules must not exceed a certain prespecified number of hours. Certain periods must be reserved for meals. Also, there is an inherent system of prerequisites which requires that certain courses must be completed or scheduled concurrently with other courses.

The aircrew scheduling problem has the same critical variables. Student pilots and RIO's (S) must take certain events (C) taught by qualified instructors (P). The distinguishing factors are the restrictions. Instead of a course segment size of say thirty students, the aircrew problem is limited to one, except for lectures which are identical. Aircraft assets are limited in the same way as classroom facilities. Time limits and special requirements are different but are common to both problems.

C. GRAPH COLORING APPROACH

This section informally presents the basic concepts of

graph theory that are necessary to understand the graph coloring approach to solving scheduling problems. For a more detailed presentation the reader is invited to consult a standard textbook on graph theory such as one by Busacker and Saaty [1]. For use in this paper, a graph is a convenient visual representation of the scheduling problem and consists of a set of vertices (points) interconnected by a set of edges (lines).

The graph coloring technique for solving class scheduling problems is the most advanced and mathematically efficient solution. The classes are represented by vertices of a graph. Conflicts are depicted by connecting two vertices with an edge. The graph coloring problem is to color each vertex of the graph with some color so that if two vertices are connected by an edge then distinct colors appear on the vertices. This corresponds to saying that if two courses have a student who wishes to take them both, the courses must be scheduled at different times.

Course Number	Course Name	Professor
C1	M-101	P3
C2	H-203	P1
C3	S-211	P2
C4	S-105	P3
C5	E-207	P4

Figure 1. Courses Available.

An illustrative example consists of determining a nonconflict schedule for four professors who will teach a total of five classes as listed in Figure 1. Notice that the third professor teaches two separate classes. Six students must take different combinations of classes as listed in Figure 2.

Student	Courses
S1	C1,C2,C3
S2	C1,C2
S3	C1,C3,C4
S4	C2,C3
S5	C2,C3,C5
S6	C4,C5

Figure 2. Student Course Preferences.

Let C1 represent course one, C2 represent course two and so forth. Let Si represent the i-th student and Pj the j-th professor. The courses may be represented by vertices of a graph labelled C1 through C5 vertically. The set of students may also be represented by a vertex for each student labelled S1 through S6 and arranged vertically to the left of the courses. The professors are handled by the same technique and arranged vertically on the right of the courses. The three columns of vertices representing students, courses and instructors, as shown in Figure 3, is a tri-partite graph (G).

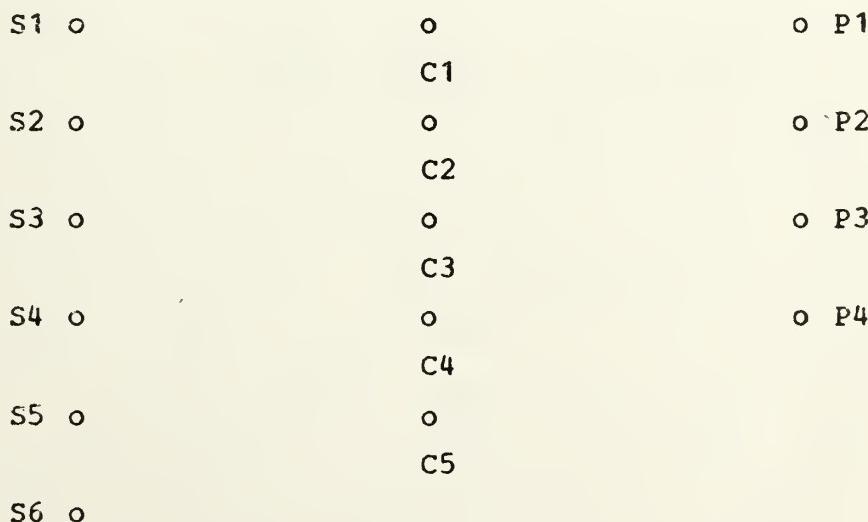


Figure 3. Vertices of a Tri-partite Graph.

Construct edges in graph G from vertex S_1 to vertices C_1 , C_2 and C_3 to represent student S_1 desiring courses C_1 , C_2 and C_3 . Construct similar edges for the rest of the students. Now construct an edge from professor P_1 to course C_2 to represent professor P_1 teaching course C_2 . Construct similar edges for the rest of the professors. The completed graph is shown in Figure 4.

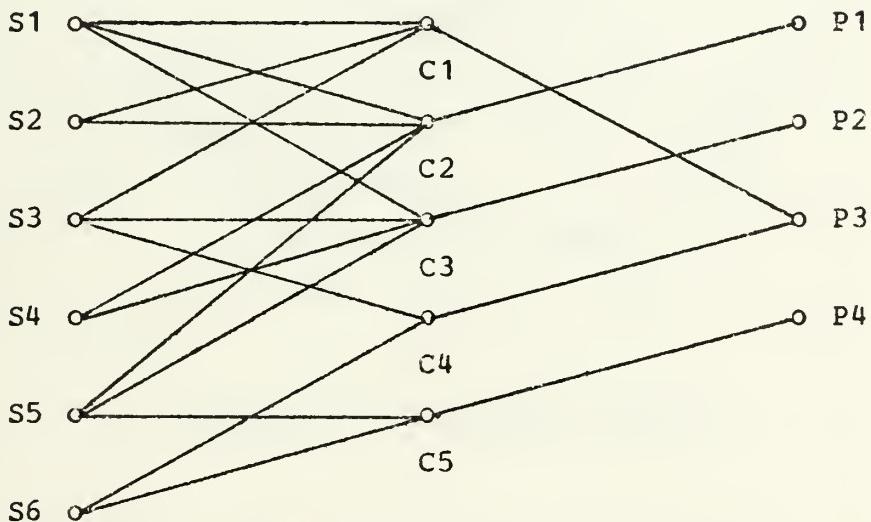


Figure 4. The Graph Depicting Schedule Requirements.

Now determine a conflict graph in the following manner. Construct a graph K with vertices to represent the courses offered. If in graph G a path of length two exists from course i to course j either through S or P , then a conflict exists and an edge must be constructed in graph K between vertex i and vertex j . This corresponds to a student's desire to take course i and course j , or a professor's assignment to teach course i and course j . For example, a path exists from vertex C_1 to vertex C_4 through vertex P_3 , which causes an edge to be constructed in K between vertex K_1 and K_4 . Another edge must be constructed between vertex K_2 and K_4 , because a direct path exists in G from C_2 to C_3 .

through vertex S4. Continue to construct edges in graph K until all conflict edges are drawn. The completed graph is illustrated in Figure 5. The scheduling problem is now equivalent to assigning colors to the vertices of the conflict graph so that two directly connected vertices have distinct colors.

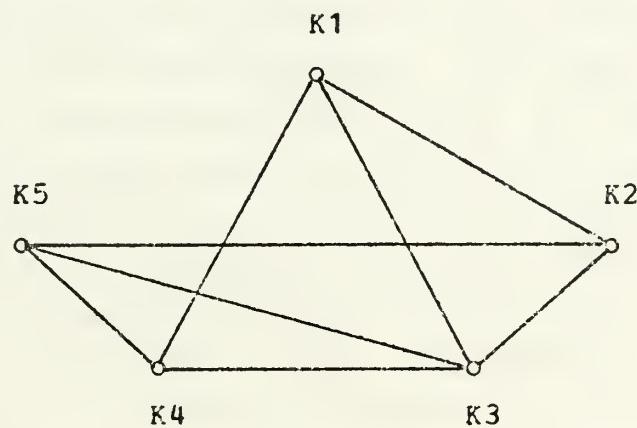


Figure 5. Conflict Graph K.

A rudimentary effort related to this field was described by Lions [2]; it involved the Queensway Senior Public School in Etobicoke, Ontario. A requirements matrix was devised and schedules were divided into weekly and then daily problems. A sample timetable for a single subgroup would be produced by one computer run and then verified by an acceptability test. The process would be repeated until all timetables were acceptable. In practice this approach is similar to random coloring of the set of vertices of K starting with any vertex and coloring it, then finding any vertex not directly connected and coloring it the same color. In Figure 5 if vertex K1 was selected to start and was assigned color one, then the only other vertex not directly connected would be vertex K5. K1 and K5 could be assigned the same color indicating course one (M-101) and course five (E-207) could be taught at the same time without

producing a conflict. The procedure tries to find another vertex which is not connected to K1 and K5. When no such vertices exist, a new color is selected and the procedure is repeated. This method is time consuming and in general will not produce an optimum schedule or a minimum number of colors.

A refinement is the Welsh-Powell algorithm for coloring the vertices of the conflict graph. The first step in the algorithm sorts the vertices into a left to right ordered list so that a vertex which has more edges connected to it occurs to the left of a vertex with less edges. The leftmost vertex is colored with color one. The first vertex which is not connected to the vertex just colored is assigned the same color. The first vertex which is not connected to all previously colored vertices is then assigned the same color. This process continues until no vertices with the above property remain. All colored vertices are deleted from the list. The leftmost vertex which remains on the list is then colored with the next color and the process is repeated until all vertices are colored. The Welsh-Powell algorithm would assign color one to vertex K3, color two to vertices K1 and K5, and color three to vertices K2 and K4 in Figure 5. Although this algorithm is efficient and will always produce a coloring, there is no guarantee that the solution will contain a minimum number of colors, which is usually desireable. However, Welsh and Powell [3] have introduced a method of determining the upper and lower bounds for the number of colors required (chromatic number).

Wood [4] proposed a slightly better method of coloring, tailored specifically to school timetable problems. A "similarity matrix" is introduced which is based on the conflict matrix K and essentially groups the vertices of K by the number of other vertices which will be affected by

coloring two distinct vertices. An algorithm is then used to produce the coloring from scanning the similarity matrix. Comparison between the similarity method and the Welsh-Powell method shows little difference for small sets of vertices but favors the similarity matrix for large numbers of vertices. An interesting effect is that the Welsh-Powell algorithm still yields a better solution when the probability of conflict is low.

D. FIXED SCHEDULE METHOD

The most successful computer implementations of school timetables are based on an entirely different mathematical concept. The course offerings are fixed in advance, based on anticipated needs and resource assets. An algorithm then assigns instructors and students to the courses in such a manner that an assignment that produces a conflict can never occur. The example problem could be solved by the same technique by first assigning times to classes and then assigning students to those times. No student may be assigned to a class which will create a conflict. If in Figure 2, class one (M-101) and class five (E-207) were offered at 0800, classes two (H-203) and four (S-105) at 0900 and class three (S-211) at 1000 then all student's choices could be satisfied. However, if classes three and four are offered at the same time then student S3 has a conflict. It becomes clear that some students may be restricted from certain combinations of classes and the preassignment of course times is critical.

This classic method is described by Clark and Stewart at the University of Maryland [5]. Basically, students filled in registration forms and a blank course offering was constructed. The computer batch processed the student's

requests assigning a student to class and blanking out the student's time vector for that time. If the vector was already blank then no assignment could be made for that period. If the course was not available at another time, an alternate was processed. As classes became filled, they were deleted. Instructor preference and other requirements such as lunch period were programmed to yield an acceptable schedule from the university point of view. Some students had requested impossible combinations so no solution existed. It is clear that the first students to be processed produced easy schedules while the latter students yielded more difficult schedules as courses filled. Order of processing did make a difference, although not a significant one.

A similar approach by Busam [6] performs in essentially the same way except that section preference is obtained by an ordering number which represents the number of students in excess of course capacity. A combinatorial approach is used while student requests are batch processed to find the first feasible solution (if one exists). Evaluation at Washington State University demonstrated the feasibility of keying on student preference but also indicated that extremely skewed requests could significantly decrease effectiveness.

E. ANALYTICAL SOLUTION

The flight scheduling problem was first approached from the graph coloring point of view. Some additional assumptions such as additional dummy aircraft assets and no preassignment were used to make this problem conform to the class scheduling problem. Two sets of sample daily data were processed using the Welsh-Powell algorithm. By

grouping aircraft which must fly as a section or division into one course and by assigning the same instructor to sorties which could not be flown at the same time, the conflict graph was reduced to a sparse graph of only thirty-three vertices. It was apparent that the method of assigning students to flights and instructors to flights played a significant role in the appearance of the conflict graph. Reversing the assignment of two instructors out of a hundred could change as many as fifteen conflict edges.

In both cases a minimal coloring of four colors (cycles) was required and obtained. In one instance, night flights were found in three of the four cycles, which proved unacceptable. Both cases yielded extremely lopsided coverings with twice as many sorties in one launch as another. In addition, there was no positive control over sortie selection. Numerous aesthetic requirements (such as offering all tactics flights on one cycle and all weapons flights on another) were violated by the resultant schedules. Thus, the graph coloring technique was rejected for several reasons. First, it became obvious that the conflict matrix did not contain sufficient information to generate a satisfactory schedule and no method to further amplify this information was apparent. Secondly, no successful method could be applied to assign students or instructors to flights which yielded better conflict graphs. Lastly, positive control over the schedule was sacrificed by calculating the entire days schedule through one analytical solution.

For the flight scheduling problem to be solved by the Fixed Schedule Method, the critical step was determining which flights would be offered during which launches. Empirical data from ninety-eight flight schedules was statistically analyzed for recurring trends with inconclusive results. Obviously, a "standard launch" was

nonexistent. Naturally, high probabilities of some sorties appearing on certain launches indicated a partial launch. It is anticipated that a careful analysis of past schedules and current scheduling technique along with the prompting priorities should yield a situation dependent "standard launch". In an effort to solve this problem and still retain sufficient human control, it was decided a temporary solution would be to have the scheduler interactively input the sortie offering. Now the scheduling problem was a duplicate of the Fixed Schedule Method.

Since students normally fly no more than once each day and must fly the appropriate sortie, the task of assigning students to sorties became trivial. Given a particular sortie, only a minimal number of students were eligible for that sortie and assignments could be made by assigning a heuristic number associated with their class and individual priority. Instructors presented an entirely different set of parameters. Highly qualified instructors, in particular the instructor RIO's (since the ratio of instructor RIO's to student pilots was low), had to be scheduled at least twice daily, which created significantly more conflicts. Clearly some method of holding the most qualified instructors in reserve until actually required would substantially reduce if not eliminate conflicts.

The solution procedure selected to solve the flight scheduling problem is based on the so called "linear assignment" problem. The solution to the assignment problem assures that men are assigned to jobs so that the total cost is minimized or a performance measure maximized. The solution uses an algorithm based on the works of Silver [7] and Munkres [8] modified by Bourgeois and Lassalle [9] to handle a rectangular cost matrix. This assignment algorithm uses a cost matrix $A(i,j)$ which is an $n \times m$ matrix where n is the number of sorties and m is the number of instructors.

Each element represents the cost of assigning instructor j to sortie i . The cost is heuristically evaluated at twice the phase number and then adjusted for priority wing or for low flight time by subtracting appropriate weights. Nonavailability or lesser qualified instructors are handled by the "Big M" method [10] in using an exorbitant cost to preclude assignment.

Instructor assignments are then directly dependent on the cost function assigned and may be adjusted by function modification to reflect changing parameters. Thus, the flight schedule problem has been reduced to a mathematical assignment problem for which a convenient analytical solution already exists.

IV. DESCRIPTION OF THE COMPUTER PROGRAM

A. GENERAL

The computer program was debugged and tested using sample data from past flight schedules. A particular time would be selected at random and all variables would be initialized to their value at that time. A schedule would be produced using the computer program and the final solution would be analyzed for content. In all cases, only instructors qualified to teach a sortie were assigned to that sortie. In addition, the least qualified instructor eligible was selected. Preferred wings were favored in the proposed cycles while ineligible wings were not scheduled. Since there are any number of correct solutions to a given problem, the computer generated flight schedules did not match the actual flight schedules. It was determined that the computer generated flight schedules were satisfactory because no conflicts existed nor were aesthetic requirements violated.

An example flight scheduling problem is presented to demonstrate the program's operation. Data is based on flight schedules produced during late November 1974. Student syllabus status was used to determine class composition and priority. Previously scheduled instructor events and times were used to construct instructor qualifications and wings. The VF-121 syllabus was inserted as a card file. Assets such as targets, adversary aircraft,

and the Air Combat Maneuvering Range were assumed available. Mission requirements were adjusted to accomodate aircraft availability and to permit night field carrier landing practice. While this reconstruction is not totally accurate, it does yield a sufficiently realistic environment for demonstration.

B. FILES

Extensive information is required to develop the schedule. This program simulates interactive files by using punched cards. Four major sources of information are involved.

1. STUDENTS - Current necessary information in the student file is name, class number, last date flown, category and syllabus status. This information will have to be expanded to provide improved management data.
2. INSTRUCTORS - Necessary information for scheduling instructors includes name, wing, lecture and syllabus qualification status, IUT state and date last flown. Additional information can be stored to make the system more responsive.
3. SYLLABUS - The entire syllabus must be listed chronologically. For each sortie necessary information must include the usual estimated time enroute, briefing time requirements, mission name, radar requirement code and ordinance configuration.
4. AUXILIARY - Several small files are included in this group. A coded list of positive control routes enables quicker interaction by just typing the code. Standard notes can be indexed for easy

reference. Completed schedules must be maintained to facilitate updating the files the following day. Programmed nonavailability in the form of watch bills and schools should also be maintained.

C. INPUT AND INITIALIZATION

Since the heart of the solution involves mathematical manipulation of tables or arrays, the input phase makes local table copies of important file elements. In the present form that consists of reading card files. Conversion to either sequential or random access files should not require excessive coding, since the files are copied prior to program execution. The files were punched on cards and submitted to the program as input data.

The initialization phase interactively seeks specific information about the proposed schedule such as date, duty officers and sunrise or sunset times. Many of the questions in the demonstration program could be eliminated by establishing the appropriate auxiliary files. The interactive queries and responses (simulated by card input) for the example program are listed below.

COMMENCE SCHEDULING PROCESS

INSERT DATE OF PROPOSED SCHEDULE.

Tuesday 20 May 1975

ENTER SCHEDULED CDO.

McDonald

ENTER SCHEDULED DAY ODO.

Arwood

ENTER SCHEDULED NIGHT ODO.

Volker

ENTER SCHEDULED SDO.

Ens Smith

ENTER SCHEDULED CQ ODO.

Hughes

ENTER SUNRISE TIME.

0638

ENTER SUNSET TIME.

1853

D. LIST NEXT EVENTS

The next events phase searches the student syllabus data and produces a list of the next two sorties, lectures and trainers for each student. This provides the scheduler with a recurring file check. From the sample problem output on the following page, next event data for all student pilots and RIO's is available. In case of computer failure, these compact listings are all that are required to reconstruct the student file and initiate manual scheduling. It is recommended that these daily listings be retained.

NEXT EVENT LIST

STUDENT PILOTS

NAME	SORTIES		TRAINERS		LECTURES	
PETERSON	PF-4	PF-5	SDL-1	PEW-1	FS-5	FS-6
JARONYK	PF-2	PF-3	PEW-1		FS-4	FS-5
VANOENBERT	PS-2	PS-3	PSW-5	SDL-1	FS-5	FS-6
TOOD	PI-3	PS-1	SDL-1	PEW-1	FS-5	FS-6
MORAN	PF-7	PI-3	SDL-1	PEW-1	FS-6	SEP-1
CROUCH	PS-1	PS-2	PEW-1		FS-5	FS-6
HOLM	PI-4	PW-1	PEW-1		WE P-15	WE P-16
DOUGHTERTY	PW-5	PW-5	PEW-1		WE P-15	WE P-16
FINK	PW-4	PW-5	PEW-1		WE P-15	WE P-16
PHANEUF	PW-5	PW-6	PEW-1		WE P-15	WE P-16
MCGARRY	PW-5	PW-6	PEW-1		WE P-15	WE P-16
GAKELL	PW-5	PW-6	PEW-1		WE P-15	WE P-16
COOK	PW-5	PW-6	PEW-1		WE P-15	WE P-16
WILLIAMS	PT-7	PT-8	PEW-1		CQS-1	CQS-2
HOUSTEN	PT-6	PT-7	PEW-1		CQS-1	CQS-2
MULLER	PT-9	PT-10	PEW-1		CQS-1	CQS-2
WHITE	PT-9	PT-10	PEW-1		CQS-1	CQS-2
SHAFFER	PT-9	PT-10	PEW-1		CQS-1	CQS-2
CURRY	PT-11	PT-12	PEW-1		CQS-1	CQS-2
BEARD	FMLP		PEW-1		EW-2	EW-3
BERTSCH	FMLP		PEW-1		EW-2	EW-3
BLAKE	FMLP		PEW-1		EW-2	EW-3
BROWN	FMLP		PEW-1		EW-2	EW-3
BEAN	FMLP		PEW-1		EW-2	EW-3

STUDENT RIDS

NAME	SORTIES		TRAINERS		LECTURES	
TALLENT	NS-5	NS-6	NST-12	NST-15	SEP-2	SEP-3
RILEY	NS-5	NS-6	NST-12	NST-15	SEP-2	SEP-3
HEINKICH	NS-6	NS-7	NST-12	NST-15	SEP-1	SEP-2
JACOB	NS-6	NS-7	NST-12	NST-15	SEP-2	SEP-3
BOYO	NS-5	NS-6	NST-12	NST-15	SEP-2	SEP-3
MEYER	NS-5	NS-6	NST-12	NST-15	SEP-1	SEP-2
PALMER	NW-3	NW-4	NST-15	NSW-7	TAC-5	TAC-6
SAMPLE	NW-6	NW-7	NST-7	NST-18	TAC-5	TAC-6
THOMAS	NW-5	NW-6	NST-18	NSW-8	TAC-4	TAC-5
ALLISON	NW-5	NW-6	NSW-7	NST-18	TAC-5	TAC-6
COMSTOCK	NS-13	NS-14	NST-15	NSW-7	TAC-5	TAC-6
PARKER, P	NW-3	NW-4	NSW-7	NST-18	TAC-5	TAC-6
NICHOLS	NW-4	NW-5	NST-18	NSW-8	TAC-5	TAC-6
PARKER, J	NT-7	NT-8	NST-18	NSW-8	CQS-4	
CRUMLEY	NT-8	NT-9	NST-18	NSW-8	CQS-4	
STEWART	NT-8	NT-9	NST-18	NSW-8	CQS-4	
SALGLE	NT-8	NT-9	NSW-1	NSW-8	CQS-4	
MARTIN	NT-8	NT-9	NSW-1	NSW-8	CQS-2	
PAZIK	NT-7	NT-8	NSW-1	NSW-8	CQS-4	
MENOENHALL	NT-8	NT-9	NSW-1	NSW-8	CQS-2	
DEVEER	NT-8		NEW-1	NSW-8	EW-5	
CRENSHAW	NT-8		NEW-1	NSW-8	EW-5	
NIMMER	NT-8		NEW-1	NSW-8	EW-5	
KELLNER	NT-8		NEW-1	NSW-8	EW-5	
MORRIS	NT-8		NEW-1	NSW-8	EW-5	

E. SCHEDULING PROBLEM

The scheduling problem is tentatively solved for each cycle. The sortie offering and student assignments are interactively input (Event number and launch time are included.). A situation dependent "standard launch" should automate this step. The program searches for sorties which need instructor pilots assigned, computes individual costs and then applies the assignment solution algorithm to match instructor pilots. The same process is repeated to produce instructor RIO assignments. Note that the demonstration program does have the capability to schedule instructors to trainers and lectures while solving individual cycle launches, by substituting the appropriate trainer or lecture in place of the mission name. The proposed cycle is then displayed and an edit feature is invoked to allow the scheduler to modify the cycle (if desired). The rest of the cycle launches are solved in the same manner up to an arbitrary maximum number of cycles which is currently set to four. The output and responses for the four cycles of the example schedule follow. Data for cycle four was selected to demonstrate the full manual input method for a sample LSO input for field carrier landing practice.

ENTER NUMBER OF SORTIES TO BE FLOWN THIS CYCLE.

00012

ENTER NUMBER OF TRAINERS OR LECTURES THIS CYCLE.

00000

ENTER MISSION-TYPE AND STUDENT FOR EACH EVENT.
MISS = NS-5 PIL = RO = TALLENT
MISS = NS-5 PIL = RO = RILEY
MISS = PT-7 PIL = WILLIAMS RO = PARKER, J
MISS = NT-7 PIL = RO =
MISS = PW-4 PIL = FINK RO = PALMER
MISS = NW-4 PIL = RO = SAMPLE
MISS = NW-7 PIL = RO =
MISS = PW-5 PIL = PHANEUF RO =
MISS = PW-6 PIL = MCCARTY RO =
MISS = NW-6 PIL = RO = THOMAS
MISS = PI-3 PIL = TODD RO =
MISS = PF-7 PIL = MORAN RO =

ENTER DESIRED INSTRUCTOR WING FOR THIS CYCLE.

00003

ENTER INELIGIBLE INSTRUCTOR WING THIS CYCLE.

00002

DO YOU DESIRE TO CHANGE PROPOSED CYCLE?

NO

PROPOSED SCHEDULE FOR CYCLE NUMBER 1

SORTIE NUMBER	TYPE	PILOT	RIO
01	NS-5	SHULTZ	TALLENT
02	NS-5	THORBURN	RILEY
03	PT-7	WILLIAMS	POWERS
04	NT-7	SHIELOS	PARKER, J
05	PW-4	FINK	HALMARK
06	NW-4	PUNCHES	PALMER
07	NW-7	HODGE	SAMPLE
08	PW-5	PHANEUF	SMITH, P
09	PW-6	MCCARTY	SLINERY
10	NW-6	WATTS	THOMAS
11	PI-3	TODD	NIMMER
12	PF-7	MORAN	NICHOLS, M

ENTER NUMBER OF SORTIES TO BE FLOWN THIS CYCLE.
00013

ENTER NUMBER OF TRAINERS OR LECTURES THIS CYCLE.
00000

ENTER MISSION-TYPE AND STUDENT FOR EACH EVENT.
MISS = NS-6 PIL = RO = HEINRICH
MISS = PS-1 PIL = CROUCH RO =
MISS = PW-5 PIL = DOUGHERTY RO =
MISS = NW-5 PIL = HODGE RO = ALLISON
MISS = PW-5 PIL = COOK RO =
MISS = PW-5 PIL = GASKELL RO =
MISS = NW-5 PIL = PUNCHES RO = NICHOLS
MISS = NW-3 PIL = HEATH RO = PARKER, P
MISS = NT-B PIL = ANDERSON RO = CRUMLEY
MISS = PT-6 PIL = HOUSTEN RO =
MISS = NT-8 PIL = WEIGAND RO = STEWART
MISS = NT-8 PIL = HELM RO = SALGLE
MISS = PMC PIL = COR HOUSTON RO = SMITH, L

ENTER DESIRED INSTRUCTOR WING FOR THIS CYCLE.
00004

ENTER INELIGIBLE INSTRUCTOR WING THIS CYCLE.
00002

DO YOU DESIRE TO CHANGE PROPOSED CYCLE?
NO

PROPOSED SCHEDULE FOR CYCLE NUMBER 2

SORTIE NUMBER	TYPE	PILOT	RIO
01	NS-6	MARR	HEINRICH
02	PS-1	CROUCH	CRENSHAW
03	PW-5	DOUGHERTY	HALMARK
04	NW-5	HODGE	ALLISON
05	PW-5	COOK	HIERS
06	PW-5	GASKELL	TIMMESTER
07	NW-5	PUNCHES	NICHOLS
08	NW-3	HEATH	PARKER, P
09	NT-B	ANDERSON	CRUMLEY
10	PT-6	HOUSTEN	WEBB
11	NT-8	WEIGAND	STEWART
12	NT-8	HELM	SALGLE
13	PMC	COR HOUSTON	SMITH, L

ENTER NUMBER OF SORTIES TO BE FLOWN THIS CYCLE.
00008

ENTER NUMBER OF TRAINERS OR LECTURES THIS CYCLE.
00000

ENTER MISSION-TYPE AND STUDENT FOR EACH EVENT.
MISS = NT-8 PIL = RQ = MARTIN
MISS = NT-8 PIL = RQ = PAZIK
MISS = PT-9 PIL = RQ =
MISS = NT-8 PIL = RQ = DEVEER
MISS = PF-4 PIL = PETERSON RQ =
MISS = PF-2 PIL = JAPONYK RQ = CDR SCHROEDE
MISS = PS-2 PIL = VANDENBERT RQ =
MISS = PI-1 PIL = HOLM RQ =

ENTER DESIRED INSTRUCTOR WING FOR THIS CYCLE.
00001

ENTER INELIGIBLE INSTRUCTOR WING THIS CYCLE.
00000

DO YOU DESIRE TO CHANGE PROPOSED CYCLE?
NO

PROPOSED SCHEDULE FOR CYCLE NUMBER 3

SORTIE NUMBER	TYPE	PILOT	RIO
01	NT-8	MCDONALD	MARTIN
02	NT-8	TERRILL	PAZIK
03	PT-9	MULLER	BJCHANEN
04	NT-8	ANDERSON	DEVEER
05	PF-4	PETERSON	WILLIAMS
06	PF-2	JAKONYK	CDR SCHROEDE
07	PS-2	VANDENBERT	AMBERSLY
08	PI-1	HOLM	NIMMER

ENTER NUMBER OF SORTIES TO BE FLOWN THIS CYCLE.

00005

ENTER NUMBER OF TRAINERS OR LECTURES THIS CYCLE.

00000

ENTER MISSION-TYPE AND STUDENT FOR EACH EVENT.

MISS = FMLP	PIL = BEARD	RO = CRENSHAW
MISS = FMLP	PIL = BERTSCH	RO = NIMMER
MISS = FMLP	PIL = BLAKE	RO = KELLNER
MISS = FMLP	PIL = BROWN	RO = MORRIS
MISS = FMLP	PIL = BEAN	RO = MENDENHALL

ENTER DESIRED INSTRUCTOR WING FOR THIS CYCLE.

00002

ENTER INELIGIBLE INSTRUCTOR WING THIS CYCLE.

00003

DO YOU DESIRE TO CHANGE PROPOSED CYCLE?

NO

PROPOSED SCHEDULE FOR CYCLE NUMBER 4

SORTIE NUMBER	TYPE	PILOT	RIO
01	FMLP	BEARD	CRENSHAW
02	FMLP	BERTSCH	NIMMER
03	FMLP	BLAKE	KELLNER
04	FMLP	BROWN	MORRIS
05	FMLP	BEAN	MENDENHALL

F. PRODUCTION RUN

The entire schedule is then displayed and edited allowing for last minute changes and to insure no errors or conflicts exist. The completed schedule may then be submitted to the Operations Officer prior to the production run which produces all desired copies on the printer. The demonstration program requires about ten seconds of computer execution time to produce the list of next events, proposed cycle schedules and to print the resultant schedule, given all interactive responses simulated by card input. The completed example flight schedule is on the following page.

FIGHTING SQUADRON ONE HUNDRED TWENTY-ONE

"ELLIGHT SCHEDULE"

TUESDAY 29 MAY 1975

CDO:	MCDONALD	OOC:	ARWOOD	VOLKER	PILOT	RIO	SOC:	EVN SMITH	CQ ODO:	HUGHES	SUNRISE:	0538	SUNSET:	1323	
EVT	APC#	ROUTE	ETD	ETE	BRF	MISSION	A/C	ATE C/I 3/S	REMARKS	22 PRT	22				
1A	NJ25	TANGO 02 W291	0700	1.6	0515	SHULTZ	NS-5	*** ***	***	R	2	P,S			
1B	NJ26	TANGO 02 W291	0700	1.6	0515	THORBURN	NS-5	*** ***	***	2	2	P,S			
2	SW25	TANGO 02 SACM	D110	1.0	0525	WILLIAMS	PT-7	*** ***	***	R	1	P,S			
3	SW26	TANGO 02 SACM	0710	1.0	0525	SHIELOS	PARKER, J	*** ***	***	P	1	P,S			
4A	OJ25	ALPHA 24	0720	1.3	0535	FINK	PW-4	*** ***	***	TOT TG195	Y	3	6 4475		
4B	OJ26	ALPHA 24	0720	1.3	0535	PUNCHES	NA-4	*** ***	***	0803-0830	Y	3	6 4476		
4C	OJ27	ALPHA 24	0720	1.3	0535	HODGE	NA-7	*** ***	***	2B4..3	Y	3	6 4476		
5A	OJ28	ALPHA 24	0740	1.3	0555	PHANEUF	SMITH, P	*** ***	***	Y	2	6 4475			
5B	OJ29	ALPHA 24	0740	1.3	0555	MCCARTY	SLINERY	*** ***	***	Y	2	6 4476			
5C	OJ30	ALPHA 24	0740	1.3	0555	WAITS	THOMAS	NA-6	*** ***	***	Y	2	6 4476		
6	SW28	ALPHA 25	0800	1.6	0600	TODD	NIHMER	P1-3	*** ***	Y	2	--			
7	SW29	TANGO 02 W291	0810	1.6	0625	MORAN	NICHOLS, M	PF-7	*** ***	Y	1	--			
8A	NJ27	TANGO 02 W291	1100	1.6	0915	MARR	HEINRICH	NS-6	*** ***	***	3	P,S			
8B	NJ28	TANGO 02 W291	1100	1.6	0900	CROUCH	GHEYSA, A	PS-1	*** ***	***	P	P,S			
9A	OJ31	ALPHA 24	1130	1.3	0945	ODUSHERTY	HALVAK	PW-5	*** ***	***	TOT TGT 95	Y	1	6 4476	
9B	OJ32	ALPHA 24	1130	1.3	0945	HODGE	ALLISON	NA-5	*** ***	***	1200-1230	Y	1	6 4476	
9C	OJ33	ALPHA 24	1130	1.3	0945	COOK	HIERES	PW-5	*** ***	***	2B4..3	Y	1	6 4476	
10A	OJ34	ALPHA 24	1200	1.3	1015	GASKELL	TIMMESTER	PW-5	*** ***	***	TOT TGT 95	Y	2	6 4476	
10B	OJ35	ALPHA 24	1230	1.3	1045	PUNCHES	NICHOLS	NA-5	*** ***	***	1300	Y	2	6 4476	
10C	OJ36	ALPHA 24	1200	1.3	1015	HEATH	PARKER, P	NA-3	*** ***	***	2B4..3	Y	2	6 4475	
11A	SW30	ALPHA 25	1210	1.0	1025	ANDERSON	CUMLEY	NT-R	*** ***	***	2 V 1 A4E	R	1	P,S	
11B	SW31	ALPHA 25	1210	1.0	1025	HOUSTEN	WE88	PT-6	*** ***	***	TG3UN	Y	1	>S	
12A	SW32	TANGO 02 NACM	1220	1.0	1035	WEIGAND	STEWART	NT-3	*** ***	***	ACMR RNG	R	1	P,S	
12B	SW33	TANGO 02 NACM	1220	1.0	1035	HELM	SALGLE	NT-8	*** ***	***	1245-1315	R	1	P,S	
13	SW34	TANGO 02 W291	1230	1.0	1035	COR HOUSTON	SMITH, L	PAC	*** ***	***	Y	1	P,S		
14A	SW35	ALPHA 25	1600	1.0	1415	MCDONALD	MARTIN	NT-8	*** ***	***	R	2	P,S		
14B	SW36	ALPHA 25	1600	1.0	1415	TERRILL	PATIK	NT-8	*** ***	***	2	>S			
15A	SW37	ALPHA 25	1630	1.0	1430	MULLER	BUCHAVEN	PT-9	*** ***	***	R	1	P,S		
15B	SW38	ALPHA 25	1630	1.0	1445	ANDERSON	DEVEEER	NT-B	*** ***	***	TOP5JN	R	1	P,S	
16	SW39	TANGO 02 W291	1640	1.6	1440	PETERSON	WILLIAMS	PF-4	*** ***	***	Y	1	--		
17	SW40	TANGO 02 W291	1650	1.6	1450	JARONYK	COR SCROEDER	PF-2	*** ***	***	Y	1	--		
18	SW41	TANGO 02 W291	1700	1.6	1515	VANOENDER	AMBERSLY	PS-2	*** ***	***	2	>S			
19	DO 175		1710	1.5	1513	HOLM	NIMMER	PL-1	*** ***	***	Y	1	--		
20A			2150	0.5	2050	BEARD	CRENSHAW	FMLP	*** ***	***	YKK "C"	Y	1	--	
20B			2150	0.5	2050	BERTSCH	NIMMER	FMLP	*** ***	***	2200 7.5	Y	1	--	
20C			2150	0.5	2050	BLAKE	KELLINE	FMLP	*** ***	***	FUFL R2Q	Y	1	--	
20D			2150	0.5	2050	BROWN	MORRIS	FMLP	*** ***	***	LSD: MDRCF	Y	1	--	
20E			2150	0.5	2050	BEAN	MENDENHALL	FMLP	*** ***	***		Y	1	--	

V. PROPOSED EXTENSION TO AN INTERACTIVE SYSTEM

A. STATUS

It must be emphasized that the coded demonstration program is not the complete system, but it can be modified to perform all the required functions. The main concept of this system is interactive where constant user action is required (positive control). The demonstration program was developed using COBOL to enable conversion for fleet use. This necessitated batch operation to be run on the IBM 360/67 at the Church Computer Center, Naval Postgraduate School, because the COBOL compiler is not available under the time sharing operating system. This batch simulation of an interactive program precluded full software development.

B. HARDWARE ASSETS REQUIRED

Effective utilization of the proposed system requires some computer hardware not normally present in squadrons but often available through remote government computer facilities. The general characteristics are summarized.

1. COMPUTER TIME - Sufficient computer time must be available on a time sharing basis during anticipated run times for COBOL operation. Core required for program run step is anticipated to be less than 100K exclusive of file management and

compiler.

2. CATHODE RAY TERMINAL - Although a high speed teletypewriter could be used, a CRT is more effective for file management, display and editing purposes. Standard telephone communications lines should be sufficient for data transmission.
3. STORAGE - Permanent file storage, preferably on disk (although magnetic tape could be used), must be available at the computer facility. Although the files are not classified, some privacy should be afforded and access limited to certain users.
4. CARD READER - The current program is on punched cards. Initial loading and debugging as well as file creation requires access to a card reader.
5. REMOTE PRINTER - The printer must be locally stationed to enable easy retrieval of printed output in the form of dumped files and, most importantly, multiple copies of the finished flight schedule. A slow speed upper case printer is acceptable.

C. SOFTWARE REQUIRED

Prior to computing the new flight schedule, the files must be updated to reflect the results of the previous day's training. A Data Base Management System is required to provide the user with a simple method of file creation and updating prior to program execution.

Since no interactive terminal was available for the demonstration program, the interactive input and output will require the most modification to convert to a suitable

format for Cathode Ray Terminal (CRT) operation. This area is most responsive to user desires and changes and should be developed under closer liaison. Including file manipulation, time sharing and user "think" time, it is anticipated that the program should not require more than forty-five minutes total per run.

VI. SUMMARY

A. LIMITATIONS

Conflict graph coloring techniques provided a convenient means of analyzing the flight scheduling problem but were of limited utility in this application. School timetable problems contained the same essential variables and published solutions to these problems provided valuable insight to the flight scheduling problem. Existence of an adequate assignment algorithm considerably simplified this work but the final algorithm had to be translated from ALGOL to COBOL.

Since this computer program was the author's first COBOL programming effort, a top down modular programming technique was employed to enable easier development. Absence of an interactive COBOL CRT was a major drawback in system development. Another major limitation was offsite system analysis which caused general unavailability of quick answers.

B. SYSTEM UTILITY

Although the proposed system was designed as a solution to the scheduling problem at VP-121, the mathematical concepts are sufficiently broad to enable application to

other problems. For the bi-partite student and instructor relationship of flight schedules for this training command, the solution developed in this thesis should prove acceptable. However, this technique may not be applicable to operational squadrons. Should analysis reveal that conflicts are not related to instructor assignments, then another solution, such as the one suggested by Boeck [11], should be explored.

It is anticipated that full implementation of the proposed interactive system can be accomplished using the part time services of a COBOL programmer and close liaison with the scheduling staff over a three month period. Adequate test results should be available within a month and a half to base an intelligent acceptance or rejection decision. Other commands desiring to use this system should anticipate longer implementation times to allow for individual analysis of the scheduling problem.

C. CONCLUSIONS

Successful implementation of this system in a time sharing environment should result in significant personnel savings by reducing the scheduling staff to one officer. The files can serve as a basis for improved management decisions and later expansion could result in larger savings in this area. It has been demonstrated that a satisfactory schedule can be produced by using the computer. The solution procedure does not sacrifice positive control by the user. The computer thus becomes a powerful tool which increases the efficiency of the flight scheduling operation.

IDENTIFICATION DIVISION.
PROGRAM-ID. SCHEDULE
AUTHOR. LT CRAIG H. HONOUR.
INSTALLATION. NAVAL POSTGRADUATE SCHOOL CHURCH CENTER.
DATE-WRITTEN. MAY 1975.
SECURITY. UNCLASSIFIED.

ENVIRONMENT DIVISION
CONFIGURATION SECTION

```

SOURCE-COMPUTER : IBM-360.
OBJECT-COMPUTER : IBM-360.

INPUT-OUTPUT SECTION.
FILE STUDIN ASSIGN TO UR-S-IN1.
SELECT ACCEPT ASSIGN TO UR-S-IN2.
SELECT SOR-IN ASSIGN TO UR-S-IN3.
SELECT SKE-OUT ASSIGN TO UR-S-OUT1.

DATA DIVISION.
FILE SECTION.
FD STUDIN RECORDS ARE OMITTED.
LABEL RECORD IS NAME-CARD.
DATA RECORD IS NAMECARD.

NAMECARD
32 PESSON
02 FILLER
02 NUM
02 FILLER
02 WING
02 FILLER
02 LQ
02 FILLER
02 SQ
02 FILLER
02 TUT
02 FILLER
02 FED
02 FILLER
01
          PIC 4(12).
          PIC XX.
          PIC 999.
          PIC XX.
          PIC XX.
          PIC 999.
          PIC XX.
          PIC 999.
          PIC XX.
          PIC 999.
          PIC XX.
          PIC 999.
          PIC X(40).

FD ACCEPT RECORDS ARE OMITTED.
LABEL RECORD IS AC-CARD.
DATA RECORD IS AC-CARD.

```


01	AC-CARD.	PIC 9(5);
	02 DIG	PIC X(25);
	02 MSG	PIC X(50);
	02 FILLER	
FD	SOR-IN LABEL RECORDS ARE OMITTED DATA RECORD IS SOR-CARD, CYCLE-CARD.	
01	SOR-CARD.	
	02 MISSR	PIC X(8).
	02 FILLER	PIC XX9.
	02 ETIERR	PIC XXX.
	02 BRFILLER	PIC X.
	02 FILLER	PIC A.
	02 RDRI	PIC XXXXX.
	02 FILLE2	PIC XX(14).
	02 FORDI	PIC XX.
	02 FILLER	PIC X(12).
	02 INSTL	PIC A(12);
	02 FILLER	PIC X(28);
01	CYCLE-CARD.	
	02 FILLER	PIC A(12).
	02 RO	PIC XX(12).
	02 FILLER	PIC XXX.
	02 MISSR	PIC XX(8).
	02 SNUM	PIC XX9.
	02 FILLE2	PIC XX(3).
	02 FIEVT	PIC XXX.
	02 FILLER	PIC 9.
	02 FAPC	PIC XX999.
	02 FILLER	PIC XX(12).
	02 FIETD	PIC XX.
	02 FILLER	PIC XX(4).
	02 FILLER	PIC X(7).
FD	SKEDOUT LABEL RECORDS ARE OMITTED DATA RECORD IS SKED-LINE.	

10

WORKING-STORAGE SECTION • Page 22

30.
50.
SYNC.

MAX	PIC S99999.
FLAG	PIC S99999.
Z1	PIC S99999.
Z2	PIC S99999.
P1	PIC 999 VALUE 51.
P2	PIC 999 VALUE 101.
P3	PIC 999 VALUE 161.
P4	PIC 999 VALUE 181.
P5	PIC 999 VALUE 215.
LASTDATE	PIC 999 VALUE 218.
DOTS1	PIC X(15)
COD	PIC 9.
CYCLE-NUM	PIC 9.
PRIORI	PIC 99.
K1	PIC 99.
OLD	PIC 99.
N1	PIC 99.
SORTIE-NUM	PIC 99.
TOT	PIC 99.
M1	PIC 99.
Z3	PIC 999.
TOTAL	PIC 999.

TOP-LINE	PIC X(18) VALUE SPACE.
FILLER	PIC X(35) PROPOSED SCHEDULE FOR CYCLE NUMBER 1.
STMT	VALUE SPACES.
02 C-N	PIC 9.
COL-HEADER	PIC X(13) VALUE SORTIE NUMBER 1.
S-COLER	PIC X(10) VALUE SPACES.
FILLER	PIC X(4) VALUE SPACES.
T-COLER	PIC X(10) VALUE SPACES.
FILLER	PIC X(5) VALUE SPACES.
P-COLER	PIC X(17) VALUE SPACES.
FILLER	PIC X(3) VALUE SPACES.
RID-COL	PIC X(70) VALUE SPACES.
FILLER	PIC X(10) VALUE SPACES.
SKED-LINE1	PIC X(7) VALUE SPACES.
FILLER	PIC 99 VALUE SPACES.
S-N	PIC X(15) VALUE SPACES.
FILLER	PIC X(15) VALUE SPACES.

02	TY	FILLER	PIC X(8)•	VALUE SPACES.
02	P-NAM	FILLER	PIC X(12)•	VALUE SPACES.
02	RIO-NAME	FILLER	PIC X(10)•	VALUE SPACES.
02	FILLER	FILLER	PIC X(12)•	VALUE SPACES.
02	FILLER	FILLER	PIC X(61)•	VALUE SPACES.

01	SKED-HEAD1•		PIC X(40)	VALUE SPACES.
02	SQUADRON	VAL JE	FIGHTING SQUADRON	HUNDRED TWENTY-ONE•
02	FILLER	FILLER	PIC X(20)	VALUE SPACES.
02	F-S	FILLER	PIC X(17)	VAL JE "FLIGHT SCHEDULE"•
02	FILLER	DAT	PIC X(25)	VAL JE SPACES.
01	SKED-HEAD2•		PIC X(40)	VALUE SPACES.
02	FILLER	FILLER	PIC X(6)	VALUE SDO: • .
02	CDO-NAME	FILLER	PIC X(12)	VALUE SPACES.
02	FILLER	FILLER	PIC X(6)	VALUE SDO: • .
02	CDO-NAME1	FILLER	PIC X(12)	VALUE SPACES.
02	FILLER	FILLER	PIC X(12)	VALUE SPACE.
02	CDO-NAME2	FILLER	PIC X(6)	VALUE SPACES.
02	FILLER	FILLER	PIC X(6)	VALUE SDO: • .
02	SDO-NAME	FILLER	PIC X(12)	VALUE SPACES.
02	FILLER	FILLER	PIC X(9)	VALUE SDO: • .
02	CDO-NAME	FILLER	PIC X(12)	VALUE SPACES.
02	FILLER	SUNRISE	PIC X(10)	VAL JE CQ ODO: • .
02	CQ-NAME	FILLER	PIC X(4)	VALUE SPACES.
02	SUNRISE	FILLER	PIC X(3)	VAL JE SUNRISE: • .
02	SUNR-TIME	FILLER	PIC X(9)	VAL JE SPACES.
02	SUNSET	FILLER	PIC X(4)	VAL JE SUNSET: • .
02	SUNSET-TIME	FILLER	PIC X(16)	VAL JE SPACES.
01	COL-HEAD•		PIC X(40)	VALUE SPACES.
02	FILLER	FILLER	PIC XXX	VAL JE SPACES.
02	AA	FILLER	PIC XXX	VAL JE SPACES.
02	B	FILLER	PIC XXX	VAL JE SPACES.
02	CC	FILLER	PIC X(9)	VAL JE APC ROUTE• .

02	EL-NAME	PIC A(12).
02	FILLER	PIC X(5).
02	SOR1	PIC X(5).
02	FILLER	PIC X(3),
02	SCR2	VALUE SPACES.
02	FILLER	PIC X(5),
02	TR1	VALUE SPACES.
02	FILLER	PIC X(6),
02	TR1	VALUE SPACES.
02	FILLER	PIC X(3),
02	TR2	VALUE SPACES.
02	FILLER	PIC X(6),
02	LEC1	VALUE SPACES.
02	FILLER	PIC X(5),
02	LEC2	VALUE SPACES.
02	FILLER	PIC X(6),
		VALUE SPACES.
01	C-TABLE.	
	02 C	PIC S9999,
	CB-TABLE.	COMP, OCCURS 30 TIMES.
	02 CB	PIC S9999,
	LAMBDA-TABLE.	COMP, OCCURS 50 TIMES.
01	02 LAMBDA	PIC S9999,
	MU-TABLE.	COMP, OCCURS 50 TIMES.
01	02 MU	PIC S9999,
	R-TABLE.	COMP, OCCURS 30 TIMES.
01	02 R	PIC S9999,
	Y-TABLE.	COMP, OCCURS 30 TIMES.
	02 Y	PIC S9999,
		COMP, OCCURS 50 TIMES.
01	A-TABLE.	
	02 A-ROW	
	03 A	OCCURS 30 TIMES.
01	X-TABLE.	PIC S9999,
	02 X	COMP, OCCURS 50 TIMES.
01	SYL-TABLE.	
	02 SYL-ROW	
	03 SYL	OCCURS 60 TIMES.
01	SHP-TABLE	PIC 9,
	02 SHP-ROW	OCCURS 215 TIMES.
	03 SHP	PIC X(5),
		OCCURS 60 TIMES.
		OCCURS 6 TIMES.
01	MISSION-TABLE.	
	02 MISSION	PIC X(8),
	EFE-TABLE.	OCCURS 215 TIMES.
01	02 EFE	PIC 9V9,
	BRF-TABLE.	OCCURS 100 TIMES.

01	02 RDR-TABLE•	PIC 9(4),	Occurs 100 TIMES.
	02 RDR	PIC A,	Occurs 100 TIMES.
01	02 ORD-TABLE•	PIC X(14),	Occurs 100 TIMES.
01	EVT-TABLE•		
01	02 APC-TABLE•	PIC XXX,	Occurs 50 TIMES.
	02 APC	PIC X(4),	
01	02 APRC-TABLE•	PIC 9,	Occurs 50 TIMES.
	02 APRC		
01	02 ETD-TABLE•	PIC 9(4),	Occurs 50 TIMES.
	02 ETD		
01	02 PILOT-TABLE•	PIC A(12),	Occurs 50 TIMES.
	02 PILOT		
01	02 RIO-TABLE•	PIC A(12),	Occurs 50 TIMES.
	02 RIO		
01	02 MIS-TABLE•	PIC A(12),	Occurs 50 TIMES.
	02 MIS		
01	02 REM-TABLE•	PIC X(8),	Occurs 50 TIMES.
	02 REM		
01	02 PRI-REVIEW-TABLE•	PIC X(12),	Occurs 50 TIMES.
	02 PRI		
01	02 INSTRUCT-TABLE•	PIC 9,	Occurs 50 TIMES.
	02 INSTRUCT		
01	02 ROUTE-TABLE•	PIC A(12),	Occurs 50 TIMES.
	02 ROUTE		
01	02 STUD-TABLE•	PIC X(13),	Occurs 150 TIMES.
	02 STUD		
01	STUD-TABLE•		
02	02 STUD	STUD-NAME	Occurs 60 TIMES.
	03	STUD-CLASS-NUM	PIC A(12).
	03	LASTFLY	PIC 999.
	03	STUD-CAT	PIC 9.
01	INST-TABLE•		
02	02 INST	INST-NAME	Occurs 100 TIMES.
	03	INST-WING	PIC 9.
	03	LEC-QUAL	PIC 999.
	03	SYL-QUAL	PIC 999.
	03	INT-STAT	PIC 9.
	03	LASTFLCN	PIC 999.

PROCEDURE DIVISION.

MAIN SECTION.
OPEN INPUT STUDIN.
OPEN INPUT ACCEPT.
OPEN INPUT SOR-IN.
OPEN OUTPUT SKEDOUT.
PERFORM IN-1 THRU IN-5 VARYING I FROM 1 BY 1 UNTIL I > 60.
PERFORM IN-3 VARYING I FROM 1 BY 1 UNTIL I > 100.
PERFORM IN-4 THRU IN-5 VARYING I FROM 1 BY 1 UNTIL I > 9.
PERFORM IN-5.

INIT DISPLAY * COMMENCE SCHEDULING PROCESS.
DISPLAY *
DISPLAY *
DISPLAY * INSERT DATE OF PROPOSED SCHFULE..
READ ACCP AT END GO TO ERRORIN.
DISPLAY *
DISPLAY MSG TO DAT.
MOVE MSG TO DAT.
DISPLAY *
DISPLAY * ENTER SCHEDULED CDO..
READ ACCP AT END GO TO ERRORIN.
DISPLAY *
DISPLAY MSG TO DAT.
MOVE MSG TO DAT.
DISPLAY *
DISPLAY * ENTER SCHEDULED DAY OOO..
READ ACCP AT END GO TO ERRORIN.
DISPLAY *
DISPLAY MSG TO OOO-NAM1.
DISPLAY *
DISPLAY * ENTER SCHEDULED NIGHT OOO..
READ ACCP AT END GO TO ERRORIN.
DISPLAY *
DISPLAY MSG TO OOO-NAM2.
DISPLAY *
DISPLAY * ENTER SCHEDULED SDO..
READ ACCP AT END GO TO ERRORIN.
DISPLAY *
DISPLAY MSG

INDATA SECTION.

IN-1. READ STUDIN AT END GO TO ERRORIN.
MOVE PERSON TO STUD-NAME (I).
MOVE NUM TO STUD-CLASS-NUM (I).
MOVE WINS TO STUD-CAT (I).
MOVE LFD TO LASTFLY (I).
PERFORM IN-11 VARYING J FROM 1 BY 1 UNTIL J > P5.
IF I > 30, GO TO IN-2.
PERFORM IN-12 VARYING J FROM 1 BY 1 UNTIL J > SQ.
PERFORM IN-12 VARYING J FROM P2 BY 1 UNTIL J > LQ.
PERFORM IN-12 VARYING J FROM P3 BY 1 UNTIL J > IUT.
GO TO INIXIT.

IN-2. PERFORM IN-12 VARYING J FROM P1 BY 1 UNTIL J > SQ.
PERFORM IN-12 VARYING J FROM P2 BY 1 UNTIL J > LQ.
PERFORM IN-12 VARYING J FROM P4 BY 1 UNTIL J > IUT.
INIXIT. EXIT.

IN-11 MOVE O TO SYL (I, J).
IN-12 MOVE 1 TO SYL (I, J).

IN-3. READ STUDIN AT END GO TO ERRORIN.
MOVE PERSON TO INST-NAME (I).
MOVE WINS TO INST-WINS (I).
MOVE LQ TO LEC-QUAL (I).
MOVE SQ TO SYL-QUAL (I).
MOVE IUT TO IUT-STAT (I).
MOVE LFD TO LASTFLOW (I).

IN4. READ ACCPT AT END GO TO ERRORIN.
MOVE MSG TO ROUTE (I).
IN4XIT. EXIT.

IN-5.


```

PERFORM READ1 VARYING I FROM 1 BY 1 UNTIL I > 100.
READ1 READ SOR-IN AT END GO TO ERRORIN.
MOVE MISSI TO MISSION (I).
MOVE ETEI TO ETE (I).
MOVE BRFI TO BRF (I).
MOVE RDR1 TO RDR (I).
MOVE ORD1 TO ORD (I).

READ2 READ SOR-IN AT END GO TO ERRORIN.
MOVE MISSI TO MISSION (I).

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SETHOPS
      WRITE SKED-LINE FROM EVENT-HEAD AFTER 20.
      WRITE SKED-LINE FROM PILOT-HEAD AFTER 3.
      WRITE SKED-LINE FROM EVT-COL-HEAD AFTER 3.
      MOVE SPACES TO SKED-LINE.
      WRITE SKED-LINE AFTER 1.
      MOVE 1 TO I.
      MOVE 0 TO JLD.

SET1 IF STUD-CLASS-NUM (I) = J, GO TO SET2.
MOVE STUD-NAME (I) TO EL-NAME.
DIVIDE 100 INTO STUD-CLASS-NUM (I) GIVING TOTAL.
IF TOTAL = 0, MOVE SPACES TO SOR1, SHP (I, 1).
MOVE TOTAL TO OLD.
MOVE SPACES TO SKED-LINE.
WRITE SKED-LINE AFTER 1.

SET11 MOVE 0 TO Z1
      MOVE 0 TO Z2
      PERFORM LOOP1 THRU LOOP11 VARYING J FROM 1 BY 1 UNTIL
      IF Z1 NOT = 0, MOVE MISSION (Z1) TO SOR1, SHP (I, 1);
      IF Z2 NOT = 0, MOVE MISSION (Z2) TO SOR2, SHP (I, 2);
      ELSE MOVE SPACES TO SOR2.

MOVE 0 TO Z1
      MOVE 0 TO Z2
      PERFORM LOOP1 THRU LOOP11 VARYING J FROM P2 BY 1 UNTIL
      IF Z1 NOT = 0, MOVE MISSION (Z1) TO LEC1, SHP (I, 3);
      IF Z2 NOT = 0, MOVE MISSION (Z2) TO LEC2, SHP (I, 4);
      ELSE MOVE SPACES TO LEC2.

MOVE 0 TO Z1
      MOVE 0 TO Z2
      PERFORM LOOP1 THRU LOOP11 VARYING J FROM P3 BY 1 UNTIL
      IF Z1 NOT = 0, MOVE MISSION (Z1) TO TR1, SHP (I, 5).

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IF Z2 NOT = 0, MOVE MISSION (Z2) TO TR2, SHP (I, 6),
ELSE MOVE SPACES TO TR2.
ADD 1 TO I.
WRITE SKED-LINE FROM EVENT-LINE AFTER 1.
GO TO SET1.

SET2 • MOVE 31 TO I.
WRITE SKED-LINE FROM RIO-HEAD AFTER 5.
WRITE SKED-LINE FROM EVT-COL-HEAD AFTER 3.
MOVE SPACES TO SKED-LINE.
MOVE 0 TO OLD.

SET21 • IF STUD-CLASS-NUM (I) = 0, GO TO SETXIT.
MOVE STUD-NAME (I) TO EL-NAME.
DIVIDE 10 INTO STUD-CLASS-NUM (I) GIVING TOTAL.
IF TOTAL = OLD GO TO SET22.
MOVE TOTAL TO OLD.
MOVE SPACES TO SKED-LINE.
WRITE SKED-LINE AFTER 1.

SET22 • MOVE 0 TO Z1! Z2! THRU LOOP1 VARYING J FROM P1 BY 1 UNTIL
PERFORM LOOP1
Z2 > 0 OR J = P2.
IF Z1 NOT = 0, MOVE MISSION (Z1) TO SOR1, SHP (I, 1);
IF Z2 NOT = 0, MOVE MISSION (Z2) TO SOR2, SHP (I, 2);
ELSE MOVE SPACES TO SOR2.

MOVE 0 TO Z1! Z2! THRU LOOP1 VARYING J FROM P2 BY 1 UNTIL
IF Z1 NOT = 0, MOVE MISSION (Z1) TO LEC1, SHP (I, 3);
IF Z2 NOT = 0, MOVE MISSION (Z2) TO LEC2, SHP (I, 4);
ELSE MOVE SPACES TO LEC2.

MOVE 0 TO Z1! Z2! THRU LOOP1 VARYING J FROM P4 BY 1 UNTIL
IF Z1 NOT = 0, MOVE MISSION (Z1) TO TR1, SHP (I, 5);
IF Z2 NOT = 0, MOVE MISSION (Z2) TO TR2, SHP (I, 6);
ELSE MOVE SPACES TO LEC2.
ADD 1 TO I.

WRITE SKED-LINE FROM EVENT-LINE AFTER 1.
GO TO SET21.

LOOP1 • IF SYL (I, J) = 1, GO TO LOOP1.
IF Z1 = 0, MOVE J TO Z1, ELSE MOVE J TO Z2.
LOOP1 • EXIT.
SETXIT • EXIT.

```


LIST SECTION.


```

IF CL < 216, GO TO LOOP4. FOUND FOR MIS (J).

CONT2. MOVE 1 TO COD.
IF CL > 10 AND CL < 20, MOVE 2 TO COD.
IF CL > 21 AND CL < 31, MOVE 3 TO COD.
IF CL > 31 AND CL < 46, MOVE 4 TO COD.
PERFORM CODE2 THRU CODE2X VARYING K FROM 1 BY 1 UNTIL K > 50.
DORxit.

CODE2. ADD K 50 GIVING COL
IF COD > SYL-QUAL (COL), MOVE 99 TO A (N1, K).
ELSE MULTPLY SYL-QUAL (COL) BY 2 GIVING A (N1, K).
IF INST-WING (COL) = PRIOR, SUBTRACT 1 FROM A (N1, K).

CODE2X. EXIT.

DOR101.
ADD I Z3 GIVING J.
IF RIO {J} = 1, GO TO FILL2.
GO TO DORxit1.

FILL2.
ADD 1 TO N1.
ADD 50 X (N1) GIVING Z1.
MOVE INST-NAME (Z1) TO RIO (J).
DORxit1.

PRINT SECTION.

SHSKED.
WRITE SKED-LINE FROM SKED-HEAD1 AFTER 20.
WRITE SKED-LINE FROM SKED-HEAD2 AFTER 5.
WRITE SKED-LINE FROM COL-HEAD AFTER 3.
MOVE SPACES TO SKED-LINE.
WRITE SKED-LINE AFTER 1.
PERFORM SKED1 THRU SKED1 VARYING I FROM 1 BY 1
UNTIL I > Z3.

SKED1. MOVE 1 TO Z1.
SKED1.
IF MISSION (Z1) = MIS (I), GO TO SKED2.
ADD 1 TO Z1.
IF Z1 < 100, GO TO SKED1.
GO TO SKED3.

```


IF MIS (J) = MISSION (CL), GO TO CONT1.
 ADD₁ TO CL.
 IF CL < 2¹⁶, GO TO LOOP3.
 DISPLAY N₁ MISSION MATCH FOR MIS (J).
 CONT1 MOVE 1 TO COD.
 IF CL > 55 AND CL < 73, MOVE 2 TO COD.
 IF CL > 73 AND CL < 82, MOVE 3 TO COD.
 IF CL > 82 AND CL < 98, MOVE 4 TO COD.
 PERFOR₄ CODE1 THRU CODXIT VARYING K FROM 1 BY 1 UNTIL K > 50.
 DOXIT. EXIT.

CODE1:
 IF COD > SYL-QUAL (K) OR PRIOR1 = INST-WING (K),
 GO TO COD1.
 MULTIPLY SYL-QUAL (K) BY 2 GIVING A (N₁, K).
 IF LASTFLWN (K) < LASTDATE, SUBTRACT 1 FROM A (N₁, K).
 IF INST-WING (K) = PRIOR, SUBTRACT 1 FROM A (N₁, K).
 GO TO CODXIT.
 COD1 MOVE 99 TO A (N₁, K).
 CODXIT. EXIT.
 MAKEO MOVE 0 TO A (I, J).
 DOPILLOT1:
 ADD I Z₃ GIVING J.
 IF PILOT (J) = 1, GO TO FILL1.
 GO TO DOXIT1.
 FILL1:
 ADD 1 TO N₁.
 MOVE X (N₁) TO Z₁ i.
 MOVE INST-NAME (Z₁ i) TO PILOT (J).
 DOXIT1. EXIT.
 DORIO:
 ADD I Z₃ GIVING J.
 IF RIG (J) = 1, GO TO GETCOST1.
 GO TO DORXIT.
 GETCOST1:
 ADD i TO N₁.
 MOVE 1 TO CI.
 LOOP4:
 IF MIS (J) = MISSION (CL), GO TO CONT2.
 ADD₁ TO CL.

DISPLAY *ENTER NEW PILOT, RIO, MISSION AND SORTIE NUMBER.*.
 NOTE THIS SIMULATES FILE MANAGEMENT SYSTEM.
 ADD Z3 TO SNUM.
 READ SORT-IN AT END GO TO EOJ.
 MOVE PILOT TO PILOT (SNUM).
 MOVE RIO TO RIO (SNUM).
 MOVE MISS TO MISS (SNUM).
 PERFORM SHSKED.
 GO TO EDIT.
 EDIT EXIT.

EDITSKED
 DISPLAY *DO YOU DESIRE TO CHANGE THE SCHEDULE?
 NOTE ACTUAL EDITING TO BE PERFORMED BY FILE MANAGEMENT
 SYSTEM ON CATHODE RAY TUBE.
 EDITxit. EXIT.

MATCH SECTION.

```

MOVE O TO TOTAL.
MOVE M TO IMIN.
MOVE N TO IMAX.
IF N > M, GO TO JA.
MOVE N TO IMIN.
MOVE M TO IMAX.
PERFORM B1 VARYING J FROM 1 BY 1 UNTIL I > N.
IF M > N, GO TO JB.
  
```

JA. PERFORM JA4 VARYING J FROM 1 BY 1 UNTIL J > M.

JB. PERFORM JB1 VARYING I FROM 1 BY 1 UNTIL I > N.
 COMPUTE RS = 1.
 COMPUTE ST1 THRU I1 VARYING I FROM 1 BY 1 UNTIL I > N.
 PERFORM SJ1 VARYING I FROM 1 BY 1 UNTIL I > N.
 AFTER J FROM 1 BY 1 UNTIL J > M.

START1
 COMPUTE RL = N.
 COMPUTE CL = 0.
 COMPUTE RS = 0.
 COMPUTE ST1 MIN, GO TO FINI.
 IF FFLAS = 1 MIN, GO TO FINI.
 PERFORM SJ2 VARYING J FROM 1 BY 1 UNTIL J > M.


```

SKED2 SUBTRACT BRF (Z1) FROM ETD (I) GIVING BRF-O.
MOVE ETE ((Z1) TO ETE-O.
MOVE RDR ((Z1) TO RDR-O.
MOVE ORD ((Z1) TO ORD-O.

SKED3 MOVE MIS (I) TO MISSION-O.
MOVE EVT ((I) TO EVT-O.
MOVE APC ((I) TO APC-O.
MOVE APGR ((I) TO Z1 PCR-O.
MOVE ROUTE ((Z1) TO APCR-O.
MOVE ETD ((I) TO ETD-O.
MOVE PILOT ((I) TO PILOT-O.
MOVE RIO ((I) TO RIO-O.
MOVE REMARK-O.
MOVE PRI ((I) TO PRI-O.
MOVE DOTS TO DOTS.
WRITE SKED-LINE AFTER 2.
WRITE SKEDXIT.

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SHCYCLE WRITE SKED-LINE FROM TOP-LINE AFTER 20.
WRITE SKED-LINE FROM COL-HEAD1 AFTER 4.
MOVE SPACES TO SKED-LINE.
WRITE SKED-LINE AFTER 3.
PERFORM CYCLE1 VARYING J FROM 1 BY 1 UNTIL J > TOT.

CYCLE1 MOVE J TO S-N.
ADD J Z3 GIVING K.
MOVE PILOT ((K) TO P-NAM.
MOVE RIO ((K) TO RIO-NAM.
MOVE MISS ((K) TO TY.
WRITE SKED-LINE FROM SKED-LINE1 AFTER 2.


```

EDITS SECTION.

```

EDIT DISPLAY 'DO YOU DESIRE TO CHANGE PROPOSED CYCLE?'.
READ ACCEPT AT END GO TO ERRORIN.
DISPLAY .
EXHIBIT MSG .
DISPLAY .
DISPLAY .
DISPLAY .
IF MSG = 'NO', GO TO EDITXIT.

```



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JB2. COMPUTE Y ( J ) = 0.
JB3. IF A ( I ) NOT = 0 OR X ( I ) NOT = 0, GO TO J1.
      IF Y ( J ) NOT = 0, GO TO J1.
      COMPUTE X ( I ) = J.
      COMPUTE Y ( J ) = I.
      EXIT.

ST1. COMPUTE MU ( I ) = 0.
      IF X ( I ) NOT = J, GO TO I1.
      COMPUTE RL = RL + 1.
      COMPUTE R ( RL ) = 1.
      COMPUTE MU ( I ) = -1.
      COMPUTE FLAG = FLAG - 1.
I1. EXIT.

ST2. COMPUTE LAMBDA ( J ) = 0.

LAB1. IF A ( I, J ) NOT = 0 OR LAMBDA ( J ) NOT = 0, GO TO J2.
      COMPUTE CL = CL + 1.
      COMPUTE C ( CL ) = J.
      IF Y ( J ) = 0, GO TO MARK.
      COMPUTE RL = RL + 1.
      MOVE Y ( J ) TO Z1.
      COMPUTE R ( RL ) = Z1.
      COMPUTE MU ( Z1 ) = I.
J2. EXIT.

LAB2. IF LAMBDA ( J ) NOT = 0, GO TO J3.
      COMPUTE CJL = CJL + 1.
      COMPUTE CB ( COL ) = J.
J3. EXIT.

LAB3. MOVE R ( K ) TO Z1.
      MOVE CB ( L ) TO Z2.
      IF A ( Z1, Z2 ) < MIN, COMPUTE MIN = A ( Z1, Z2 ).
LAB31. EXIT.

LAB4. IF MU ( I ) NOT = 0, GO TO I2.

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LABL. COMPUTE I = R (RS) .
COMPUTE RS = RS + 1 .
PERFORM LAB1 THRU J2 VARYING J FROM 1 BY 1 UNTIL J > M.
IF RS NOT > RL, GO TO LABL.

COMPUTE SW = 1 .
COMPUTE CLO = CL .
PERFORM LAB2 THRU J3 VARYING J FROM 1 BY 1 UNTIL J > M.
MOVE R (1) TO Z1 .
MOVE CB (1) TO Z2 .
COMPUTE MIN = A(Z1,Z2) .
PERFORM LAB3 THRU LAB3 VARYING K FROM 1 BY 1 UNTIL K > RL
AFTER L FROM 1 BY 1 UNTIL L > COL .
COMPUTE TOTAL = TOTAL + MIN * (RL + COL - IMAX) .
PERFORM LAB4 THRU I3 VARYING I FROM 1 BY 1 UNTIL I > N.
IF SW = 3, GO TO NEXT1.
IF SW = 4, GO TO MARK.

NEXT1. IF CLO = CL, GO TO LABL.
COMPUTE CL1 = CL0 + 1 .
PERFORM NEXT11 VARYING I FROM CLI BY 1 UNTIL I > CL.
GO TO LABL.

SUB-SECTION.

B1. MOVE A (I, i) TO MIN .
PERFORM JA2 THRU JA2 VARYING J FROM 1 BY 1 UNTIL J > M.
PERFORM JA3 VARYING J FROM 1 BY 1 UNTIL J > MIN.
COMPUTE TOTAL = TOTAL + MIN.

JA2. IF A (I, J) < MIN, MOVE A (I, J) TO MIN.
JA21. EXIT.
JA3. COMPUTE A (I, J) = A (I, J) - MIN.

JA4. COMPUTE MIN = A (I, J) .
PERFORM JA2 THRU JA2 VARYING I FROM 1 BY 1 UNTIL I > N.
PERFORM JA3 VARYING I FROM 1 BY 1 UNTIL I > MIN.
COMPUTE TOTAL = TOTAL + MIN.

JB1. COMPUTE X (I) = 0.

```


IF CLO < 1, GO TO L1.
PERFORM A1, VARYING L FROM 1 BY 1 UNTIL L > CLO.
GO TO L3.

- I2. PERFORM A2 THRU L1 VARYING L FROM 1 BY 1 UNTIL L > COL.
I3. EXIT.

A1. MOVE C (L) TO Z1 = A (I, Z1) + MIN.
A2. MOVE CB (L) TO Z1 = A (I, Z1) - MIN.
COMPUTE A (I, Z1) = A (I, Z1) - MIN.
IF SW = 1, GO TO L1.
IF SW = 2, GO TO L1.
IF SW = 3, GO TO L1.
IF SW = 4, GO TO MARK.
NEXT2. MOVE CB (L) TO Z1.
IF A (I, Z1) NOT = 0 OR LAMBDA (Z1) NOT = 0, GO TO L1.
COMPUTE LAMBDA (Z1) = 1.
IF Y (Z1) = 0, PERFORM NEXT2.
COMPUTE ZL = CL + 1.
COMPUTE ZL (CL) = CB (L).
COMPUTE RL = RL + 1.
MOVE CB (L) TO Z1 = Y (Z1).
COMPUTE Z (RL) = Y (Z1).
L1. EXIT.
NEXT21. COMPUTE J = CB (L).
COMPUTE SW = 2.
GO TO L1.
NEXT11. MOVE C (I) TO Z1.
MOVE Y (Z1) TO Z2 = Z1.
COMPUTE MU (Z2) = Z1.
MARK1. COMPUTE X (I) = J.
GO TO START1.
MARK. COMPUTE Y (J) = LAMBDA (J).
COMPUTE I = LAMBDA (J).
IF X (I) = 0, GO TO MARK1.
COMPUTE K = J.
COMPUTE J = X (I).

COMPUTE X_K(I) = K.
GO TO MARK.
FINI. EXIT.

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